✗ Products to Know ✗

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Review these once a day until you know them. All of them. All the time. Always.

* Most students know their multiplication tables up to 10 x 10 or 12 x 12. That's insufficient. KNOW THE MULTIPLICATION TABLE UNTIL AT LEAST 20 x 20. If for some reason you never properly learned even 10 x 10, or, you're using an "alternative" involving say your fingers, even if that's reliably correct, that's going to hold you back immensely, in which case contact me and I will help you learn it in an expedient timeline.		
* KNOW Perfect Squares up to 20, backwards and forwards. Plus some cubes and quads.		
Memorize all these in random order (not in the order presented below).		
0 x 0 = 0 1 x 1 = 1 (Note: "^" means "to the power of" that is exponentiation) 2 x 2 = 4 $2^3 = 8$ 3 x 3 = 9 $3^3 = 27$ $3^4 = 81$ 4 x 4 = 16 $4^3 = 64$ $4^4 = 256$ 5 x 5 = 25 $5^3 = 125$ $5^4 = 625$ 6 x 6 = 36 $6^3 = 216$ 7 x 7 = 49 8 x 8 = 64 $8^3 = 512$ 9 x 9 = 81 10 x 10 = 100 10^3 = 1000 11 x 11 = 121 12 x 12 = 144 13 x 13 = 169 14 x 14 = 196 15 x 15 = 225 + 16 x 16 = 256 + 17 x 17 = 289 18 x 18 = 324 19 x 19 = 361 20 x 20 = 400		
$25 \times 25 = 625 +$		
+ = these multiplications tend to come up often enough either directly or indirectly		
Furthermore, be able to note these numbers coming up in passing! So for instance, if you see 169 it could be a helpful hint to something going on in a problem involving 13 (13x13=169).		
Be able to note multiples of the above numbers too! For instance, 288 should leap out at you as 144 (12x12) x 2.		
Also, knowing these become handy in many Pythagorean Theorem problems, etc.!		

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* KNOW "Teen" multiplications, backwards and forwards
      These often become "forgotten" factors.
      As such, many students might otherwise think say 51 is a prime number; it's not!
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    13 x 3 = 39 (not prime)
    16 \times 2 = 32
    16 \times 3 = 48 +
    16 \times 4 = 64 +
    16 \times 5 = 80
    17 \times 2 = 34
    17 \times 3 = 51 +
    17 \times 4 = 68
    17 \times 5 = 85
    18 \times 2 = 36
    18 \times 3 = 54
    18 \times 4 = 72
    18 \times 5 = 90
    19 \times 2 = 38
    19 \times 3 = 57 +
    19 \times 4 = 76
    19 \times 5 = 95
    + = these multiplications tend to come up often enough either directly or indirectly
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    * This fact family tends to come up often:
      105 / 3 = 35
.: 35 x 3 = 105
    * This fact family tends to come up often too:
      90 / 6 = 15
    * Make use of the Commutative Property of Multiplication
      a x b = b x a
      Therefore when you have a computation such as 34 x 56
      A way to double check it is to do 56 x 34 and see if you get matching answers
      (Ditto for addition: 56 + 34 is the same as 34 + 56)
    * Check your divisions too:
out
      515 / 5 = 103
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If you don't know the following fluidly, you MUST MUST MUST: * Fractions YOU SHOULD KNOW THESE WITHOUT EVEN THINKING: 1/2 = 50% = 0.50 = 0.51/4 = 25% = 0.251/5 = 20% = 0.20 = 0.21/10 = 10% = 0.10 = 0.1And be as fluid with 2/4, 3/4, 2/5, 3/5, 4/5, and 2...9/10, again without thinking. Review these once a day until you know them, as you really want to know these too: * More Fractions - = 0.125 (half of 1/4) .: 3/8 = 3 * 0.125 = 0.375, etc .: 1/16 = half of 1/8 = 0.0625, etc. 1 - = 0.33 $.: 2/3 = 0.\overline{6} \sim = 0.67$.: $1/6 = half of 1/3 = 0.1\overline{6} \sim = 16.67\%$ 1 = 0.1 $.: 2/9 = 0.\overline{2}, 5/9 = 0.\overline{5}$ 1 -- = half of 1/6 = .083 ~= 8.33% 12 1 = 0.1428plusmanymoredigits (just remember via 2x7=14, double is 28) -- = .09 ~= 9.091%

Know all these backward and forwards, memorizing if need be.

Also it you were to see say $0.\overline{4}$ it should leap out to you that's 4/9, and so forth for many of these.

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You should also be aware of how repeating decimals map to fractions (I cover this in another PDF).

* 1 mile = 5280 feet

The use of a mile comes up often enough in standardized testing. Often you're asked to do unit conversions to/from it, or it's involved in a circumference/revolution calculation, cancelling out a numerator/denominator, etc. It's worth at least a cursory review of numbers that could come up involving mile computations, not so much to literally worry about computations involving miles but to get familiar with some of the numerical fluidity you should be considering. (So do not necessarily memorize this section, but understand why I've put it here.)

Remember that in addition to the factors shown below that there are times when their negative forms may come into play (I worded it this way as many definitions/contexts of factors don't include negative numbers, and yet the solution may involve say -66×-80).

Factor Pairs of 1 × 5280 = 5280 2 × 2640 = 5280 3 × 1760 = 5280 4 × 1320 = 5280 5 × 1056 = 5280 6 × 880 = 5280 8 × 660 = 5280	5280	
$10 \times 528 = 5280$ $11 \times 480 = 5280$	10	
$12 \times 440 = 5280$ $15 \times 352 = 5280$	15	
$16 \times 330 = 5280$	16 20	
$20 \times 204 = 5280$ $22 \times 240 = 5280$	20 22	
$24 \times 220 = 5280$ $30 \times 176 = 5280$	30	
$32 \times 165 = 5280$	22	
$40 \times 132 = 5280$	40	
$44 \times 120 = 5280$ $48 \times 110 = 5280$	44	
$55 \times 96 = 5280$	55	
$66 \times 80 = 5280$	66	
80 × 66 = 5280	80	
$88 \times 60 = 5280$	88	
$110 \times 48 = 5280$	110 110	
$120 \times 44 = 5280$ $132 \times 40 = 5280$	120	
$160 \times 33 = 5280$ $165 \times 32 = 5280$	160	
$176 \times 30 = 5280$	220.220	
$220 \times 24 = 5280$ $240 \times 22 = 5280$	220 220 240	
$264 \times 20 = 5280$ $330 \times 16 = 5280$	330 330	
$352 \times 15 = 5280$		
$440 \times 12 = 5280$ $480 \times 11 = 5280$	440 440	
$528 \times 10 = 5280$ $660 \times 8 = 5280$	660 660	
880 × 6 = 5280	880 880	
$1320 \times 5 = 5280$ $1320 \times 4 = 5280$		
$1760 \times 3 = 5280$ $2640 \times 2 = 5280$		

Note how many factors are multiples of 11, 10, and both 11 and 10. Also many multiples of 12.

Also note 15 and 16. And by use of 15 that means 3 and 5; and by use of 16 that means 4

60 is in there too, which might involve contexts in a problem where say there are feet per minute or seconds, etc. and this creates a kind of heads up. And so on for all of 60s factors too.

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